

# Private Fingerprint Matching

**Siamak F Shahandashti**

Reihaneh Safavi-Naini

Philip Ogunbona

Uni of Wollongong & Uni of Calgary

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- Often 2 fingerprints held by 2 separate entities not willing to share unnecessary information
- Hence, a need for protocols that enable 2 parties decide if their fingerprints match without revealing any further info
- Let's call it a **private fingerprint matching protocol**

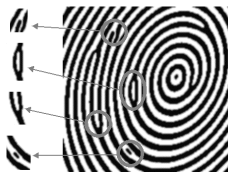
# Fingerprint Matching Algorithms

The most widely-used method for fingerprint matching [HFR]:

- extraction of features called **minutiae**,
- comparing them based on their **types**, **locations**, and **orientations**, and
- deciding based on the number of matching pairs of minutiae

$$F = \{p_1, \dots, p_n\}$$

$$p_i = (t_i, x_i, y_i, \theta_i)$$



[Keogh'01]

# Previous Works vs. Ours

Shortcomings of previous works:

- **Over-simplification**
  - Private Hamming distance calculation
- **Under-performance**
  - Private matching as images, e.g. FingerCode
- **Genericness**
  - Private matching based on generic multiparty computation



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Our proposal:

- **concrete** private protocol for **full minutiae matching** method

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Our proposal:

- **concrete** private protocol for **full minutiae matching** method using homomorphic encryption

$$E(a + b) = E(a) \oplus E(b)$$

Homomorphic encryption enables the computation of  $E(P(x))$  from  $E(x)$  through interaction with the holder of the decryption key:

- Calculate  $E(rx)$  and send
- Decrypt, calculate  $\{(rx)^i\}$ , encrypt again to  $E((rx)^i)$  and send
- Calculate  $E(P(x))$  using  $E((rx)^i)$

# The Protocol Flow

Define the following polynomials via Lagrange interpolation:

- $Q_i(t_j)$  equals 0 if  $t_j = t_i$  and 1 otherwise
- $Q_E(d_{ij}^2)$  equals 0 if  $d_{ij}$  is less than the threshold and 1 otherwise
- $Q_a(\gamma_{ij})$  equals 0 if  $\gamma_{ij}$  is less than the threshold and 1 otherwise

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A party receiving an encrypted version of the minutiae of the other party can compute the encrypted versions of the above polynomials and sum them up to compute an encryption of

$$z_{ij} = Q_i(t_j) + Q_E(d_{ij}^2) + Q_a(\gamma_{ij})$$

# The Protocol Flow (cont'd)

Similarly, define the following polynomials via Lagrange interpolation:

- $R(z_{ij})$  equals 1 if  $z_{ij} = 0$  and 0 otherwise

Then an encryption of  $R(z_{ij})$  can be calculated which is 1 if  $p_i$  and  $p_j$  match.

# The Protocol Flow (cont'd)

Similarly, define the following polynomials via Lagrange interpolation:

- $R(z_{ij})$  equals 1 if  $z_{ij} = 0$  and 0 otherwise

Then an encryption of  $R(z_{ij})$  can be calculated which is 1 if  $p_i$  and  $p_j$  match.

Then an encryption of the count of minutiae matchings can be calculated and thresholded similarly and we are done!



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Full paper: [eprint.iacr.org/2012/219](http://eprint.iacr.org/2012/219)